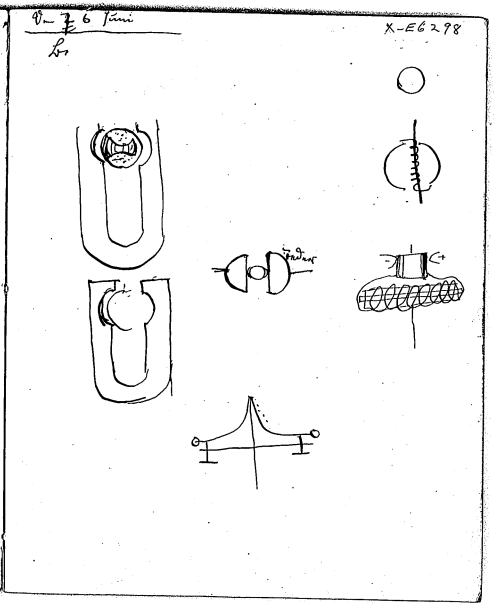
Francis R. Upton Student Notebook

This notebook was used by Upton in June and July 1878 while he was a student of Hermann von Helmoltz. The book contains notes in German about Helmholtz's lectures on electricity and light. The notes are often accompanied by drawings and calculations. The front cover is labeled "E Helmoltz Upton 26/6 78." The pages are unnumbered. Approximately 50 pages have been used.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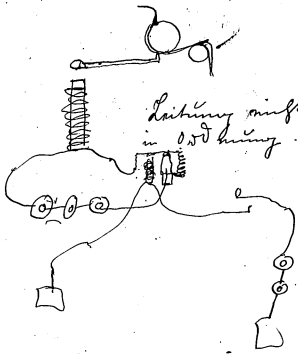


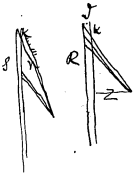
Juni 29

Mann kann Mengenmaß Modell

Helmholtz Lommel
Drucke

Drucke fortgesetzt

$\frac{ef'}{r'^2}$ Richtung f' Kreis



$\frac{ef'}{r'^2} - \frac{ef''}{r''^2}$ $\frac{K}{J} = \frac{R}{Z}$

$K =$

$\mathcal{E} K 2\pi R = \frac{\mathcal{E} 2\pi R^2 J}{Z}$ $\mathcal{E} J = \mu$ Mengenmaß Momentmaß

Kraft $= \frac{2\pi R^2 \mu}{Z} \frac{Z}{\sqrt{(2\pi R^2)^3}}$

$K = \frac{2\pi\mu}{R}$ $z \propto R$

$= \frac{2\pi J}{R}$ Ausschlag a Kraft

messen

K ↑ / J

J fad Kraft im Maß a.

$\tan\alpha = \frac{K}{J} = \frac{2\pi J}{R\,J}$

im absoluten Maß a.

Spring system mit Chemische Anspritzung in Druckluft

Pend nl muß kurz

Periode 3 Minuten

3000 ÷ 50 ÷ 60

Proportional zu Luft

$J/2\mu = J \sin\alpha\,\mu$

Nicht so gut wie Cu

Dek

S N

Das rote ist gut Stellen

Resonanz wegen Eigenschall

Man kann bei diesem

Alle empfindlich

empfindlich Luftströmen

A

S N

N S

Die Kraft fehlt sehr oft.

Die messingnat.

und empfindl.

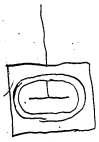
Warum zu empfindlich

Für Orientierung

messingnat

Das Loch

Die Bris Regulat



$$\frac{\varepsilon\varepsilon}{r^2} = k = \frac{m\cdot(V_1 - V_0)}{t_1 - t_0}$$

$$\frac{\varepsilon}{r} = \sqrt{k} = \sqrt{\frac{m\cdot v}{s}}$$

$$v = \frac{s}{t}$$

$$\frac{\varepsilon}{r} = \sqrt{k} = \frac{1}{t}\sqrt{m\,s}$$

$$\varepsilon = \frac{r}{t}\sqrt{m\,s}$$

Wenn flar. Strom
Impuls Drucht

$$\varepsilon = \mathfrak{P}\,t$$

$$\mathfrak{P} = \frac{r}{t^2}\sqrt{m\,s}$$

mag. Mag. Moment

$$\varepsilon = i = \frac{\mu}{\pi R^2}$$

Magn — Moment =
Quantum Kreisstrom

$$i = \frac{\mu}{\pi R^2} \cdot \frac{l}{\frac{r}{t^2}\sqrt{m\,s}}$$

l = Länge

$$\varepsilon = \frac{r}{t^2}\sqrt{m\,s}$$

$$i = \frac{e}{\pi e^2} \cdot \frac{e^2}{t^2}\sqrt{m\,s}$$

$$= \frac{\Phi}{t}\sqrt{m\,s}$$

$$\mathfrak{J} = \frac{r}{t}\,i$$ Wabers.

Oersted ein Oersted ist es.
Wenn kann mit Leitung für
Quantum Volum Potential Oersted
Longitudinal Strom Impuls Starrigkeit mit
Longitudinal zu verbinden. Man muß
Ion H.W. Wabers und Coulomb
Wabers und Coulomb

Elem. Elektr.

$$\mathfrak{J}_e = c\,i_m$$

$$c = 311,130,000\ \frac{m}{Sec}$$

Wirkung $c\sqrt{2}$

Ohmsches Widerstand absolutes

(2000 E.

— fehlen Jahresmittel Lastwechsel

William Thomson

282.000 000

British Association.

Maxwell 288.000 000

Wenn kommt in Grundeinheit Ausdruck

für die Widerstandseinheit

3000 000 000 : 1 für Ampère

Jährliche Mittelwerte

Elektrotechnischen Mittel- Weber

1 Cubikcentimeter OH_2 $0.9534 \frac{\sqrt{\text{Masse} \cdot \text{Raum}}}{\text{Zeit}}$

$J = \frac{1\sqrt{\text{Masse} \cdot \text{Raum}}}{\text{Zeit}}$ gesetzt in Sekunde

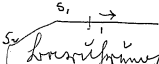
$= 0.00092705$ Ampere

$= 0.009239$ Joule

Münchener physikalisches Ohm

$i w = (S_1 - S_0)$

Zusammenhang Widerstand Elektrizität von Temperatur



$i w_1 = (S_1 - S_0) - \alpha_1$

$i w_2 = (S_2 - S_1) - \alpha_2$

$i w_3 = (S_0 - S_2) - \alpha_3$

$i (\Sigma w) = - \Sigma (\alpha)$

$i = \frac{\Sigma (\alpha)}{\Sigma (w)}$

$i\,\frac{w}{n} = S_1 - S_2 = \frac{S_1 - S_0}{n}$

10 Minuten kommen mit einem Apparat n Linien

Trimmung

Minuten Zeitgewinn/Verlust

1 Element durch 9 Minuten

2 " " 18 7
" " 27

3 Doch selbst Hypom.

27

1 1/3 Ausschlag

18

1 1/2

$J = \frac{U}{W + w}$

$J_1 = \frac{A}{W_1 + w}$

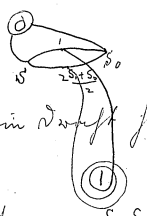
$A = wJ = wJ_1 + wJ_2$

$w(J - J_1) = wJ_1$

$\frac{W}{w} = \frac{J_1}{J - J_1}$

Nebenschaltung. Elemente ändern

Nicht Hypom Doz wenn ein Hypom Doz nicht da ist



$i_1 w_1 = S_1 - S_0$

$i_2 w_2 = S_1 - S_0$

für Draht selbst $\frac{S_1 + S_0}{2}$

kein Hypom

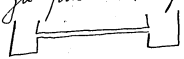
Differenz $\frac{S_1 - S_0}{2}$

$\frac{S_1 - S_2}{S_2 - S_0} = \frac{W_2}{W_0}$

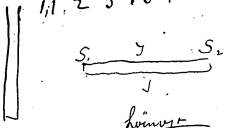
July 3 $J = \frac{\Sigma A}{\Sigma w}$

Skalen Dem Jamin
Ohm Weber Siemens

Zweckmäßig kurz zu finden. Nicht schwer
Widerstand



1,1 2 5 10 10 20 50 100 Ω



$W = \frac{\text{Länge}}{\text{Querschnitt}} = \frac{L}{Q}$ K = Leitungs Konstante

$W = \frac{L}{KQ}$

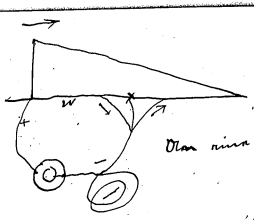
Leitungs Konstante Ohm und Widerstand
bringen

Ag	100	Leitvermögen Cu
Au	77.43	Fe
Au	55.91	Zeln
Al	33.76	Tinfoil
Zn	27.39	
Cd	23.10	
Fe	14.44	
Pt	10.5^{-3}	
Bi	1.63	
Quecksilber	0.0693	

NO_3H 29.7 $= 7330\ 10^{-8}$ Hg
HCl 18.3% = 7174
H_2SO_4 36,4 = 6914

Fallow W

Leitungsfähigkeit Leitv.: Gütenummer gesetzt wird die
Widerstandsmaß Leitungs Konstante K
Verzweigung flächenmäßig für künftig

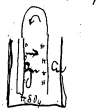


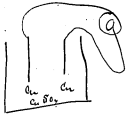
Über einen Stahlk

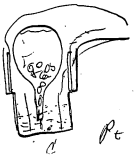
$$J_W = S_1 S_0 = A$$

$$\frac{B}{W} w \neq \frac{B}{A} = \frac{W}{w}$$

Jahr Motor Leucht
kein Rapsöl bei 2,03 / 1,7 D

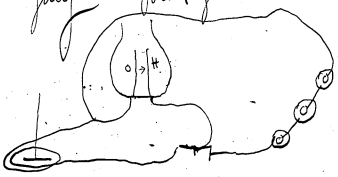






Grösse 1,7 D. mit Pt
Binden mit C
Pt billiger # nicht so viel NH_4O_4

July 6 Polarisation.



O → H
Polar
O ← H

Joule & Palladium Polar

Messungen

Leitungs Kürzlich Wasser

Gewicht für Reinheit festsetzt.

Lenz

und Andrews Me W-Eq Joule

Wasser Intensität

Wasser Intensitätsschwächung

Deutsch Hg sind am Metall

Wärme zur W-

Voltameter

Voltameter muss kein Thermometer

$\Theta J = J^2 w$ $\quad J = \frac{E}{W}$ $\quad J = g^{425}$ Mk

$= J \frac{A}{W} w$ $\quad W$ Widerstand

Wenn Wärme von Gesammte

$w = W$

$Q_w J = J A t$ $\quad$ Reflektometer Luft

t. Zeit

Thm. Verwandtschaft der Atom in selbe Richtung

Metall brennen in Cl.

Zu — Das Metall dasselbe Elect.

K

Hg Na

Z

Rb

Cu

Ag

~~Pt~~

NO_2

Grade Zu NO_2

verschnitt

Zn — Cu . 1 .

Zu NO_2 1.7

Immer dieselbe Wärme Menge

Von Lösungen

H - O. Lösstützen wenn zusammen

kommen Abscheidigkeit gegen Wärme

Ro Die Theorie von Villi

$Q_W J t = J^2 R t$ = gleich R M - durch Joulesche Theorem.

$\# q \quad J t = Q$ = Quantum Zeit - Elektrizitätsmenge

flächenmotorische Kraft

Proportional zum R - M -

Zu K Noc, unabhängig von

	Ignum H
	K
Na	27 24
Zn	40 5 24
Fe	43 741
Pb	54430
Pt	57216
Cu	62 591
Ag	79042
MnO_2	81.0

C_t = Lösungsteil.

$\leftarrow SO_4 Zn_t \rightarrow \quad \leftarrow SO_4 C_t \rightarrow$

fließen vom Ohm.

Neutral flüssig Neutral.

— Ohm mit = Vom

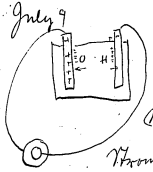
+ Natrit

$(Zn) - (Cu)$ Hydrolyt Hydrosilant

$(Zn) - (Cu) + (P_Z - P_{Cu})$

Wird Unterschied Diff. Potential.

July 9



neuer Strom
+H an einen Pol
−O an
Condensator mit einer Platinelektrode eingeschaltet
Strom entspricht kurzdauernder Condensatorentladung

Oxyd. Glimmt vom ersten Strom an

Strom Abnahme ~~Kurve~~ f. O

kann H wenig ändern

Wie Metall ~~ist~~ im innern

Palladium

1 Vol Palladium 936 H nimmt.

Rein 12.38 Fl. Op. mit H 11.79

Das H muß 1.78 – 1.98 fl. Op.

H wie Metall. Wie die Metalle condensiert.

Cu. Ag. beim Schmelzen Pulver in Luft Rost Gase.

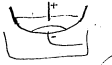
Wasserstoff eingeleitet durch Pt

Arbeit $(H)_{p_1} - (O)_{p_2} = p_1 P_1 + p_2 P_2 \quad P_2 = -P_2$

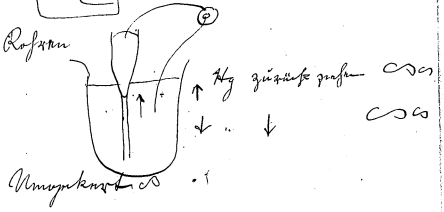
$= P_1 - P_2$

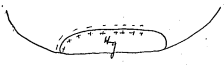
= Arbeit von H_2O H O trennen

Die Reibung flüss. in Dampf.



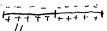
Hg rund kugelförmig





Oberlaufende Rinne

H_2O



Oberlaufen Quecksilber in Hg ausfließen

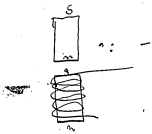
Ziegenmann Flaschenzug

Schaltung Luft falle oben 10.

$J^2 w t = J A t$

$J^2 w$ = Arbeit

Strom kann arbeit in Wärme.



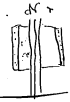
$\Delta : -J d J + J w t - J A t$

$J w = A + \frac{d J}{t}$

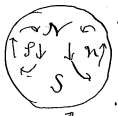
Selbstinduktion $L J + (A J = J^2 W) + J \frac{d P}{c}$

$\alpha J = - J \frac{d \Phi}{c} \quad \alpha = \frac{d P}{c}$

Feuerwehrzug



Faster Pfannenstiel Ofenzug



Summe der Arbeit Zum Messgerät in Richtung Erdmagnet

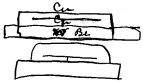
Pyrosol

Strom Unterbrechung

wenigstens schwer

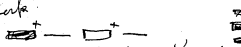
Liste

Thermo flex



Bi Ni Pd Pt Cu Hg Pb Sn Ir Au Ag Zn Cd Te As Sb Te Schwefelung

Reihenfolge



Sonde Spitze aus Kupfer. Ziemlich kurz zu Thermoelement für Flamme

Polarisation der Platin Platten durch Strom

July 15 Thermo Säule zur Messung von

Wirkung der Säule untersuchen

Bi Cu

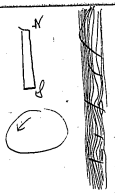
Die Wellen vom Thermo

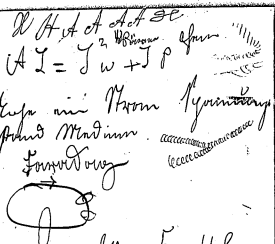
Metall flex misst Wärme

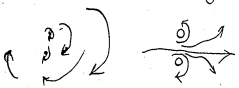
mit

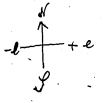
Cu + flex mit feiner Wärme

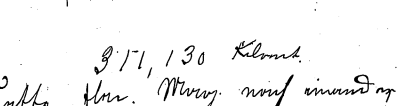
Fe — " " " Wärme


N
S



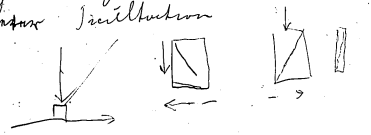



N
S
+e
-e



Licht

Olymp. Zeit benutzt. Planeten
Fixsterne Deviation



$\frac{2\pi R}{\text{Jahr}} = v$

Jährl. synod. Bewegung

Erde	41000	Meilen
Venus	39700	"
Neptun	42219	"

313274.3 Kilo
298500

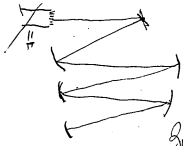
8633 Mk

Cassiopeia
20000 See in Stella

Miller

Rund 420 Zeichen
12,6 mal in Vic
9042 zwischen Zeit
18000

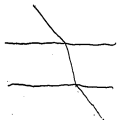
Erde 311130 k m Planetenbahn
Mercur 288000 " "



700 800 Umdrehung in Vic.

Distanz Medium
beinahe voll.

Zu Venus/Saturn fast Null



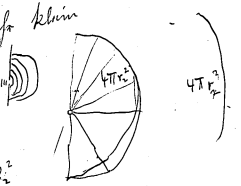
Licht abwesend in andern
Form Durchdringung d. Massen
Entfernung

Transversale Schwingung

Welle

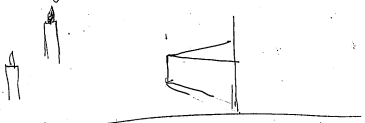
Je voll schöner Ton muß in gerade Linien

Wenn Öffnung groß bezüglich gegen Wellenlänge Ausbreitung sehr gerade, in sehr klein



$\frac{J_1}{J_2} = \frac{R_2^2}{R_1^2}$

Beugung Beugung.

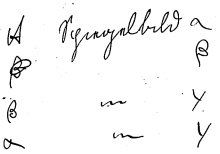


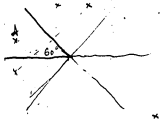
Reinwellenzug

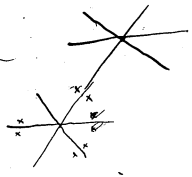
Wellenfront

Strahl

Allen Punkten kann von A nur von A' Interesse

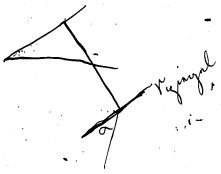


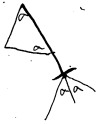


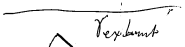


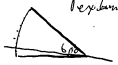
Prisma

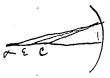
Gelenkpunkt



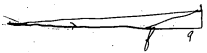








Prozess um Fixpunkt herum klitzekleine Winkel



$\frac{x}{f} = \varepsilon$

$\frac{x}{f} = \eta = 2\omega - \varepsilon$

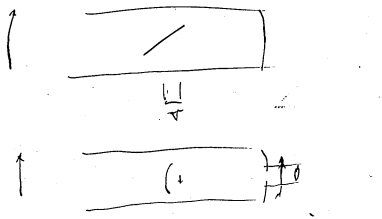
$x \sim R\omega$

$\varepsilon - (-\eta) = \varepsilon + \eta = 2\omega$

$\frac{x}{f} = \frac{2x}{R} - \frac{x}{f}$

$\frac{1}{f} + \frac{1}{f} = \frac{2}{R}$

Prisma mit Loch im Licht

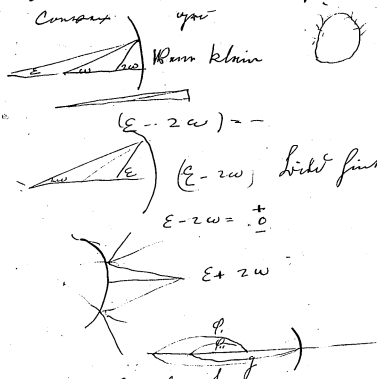


$\frac{1}{f} + \frac{1}{g} = \frac{2}{R} = \frac{1}{F}$

Brille $\frac{1}{f} + \frac{1}{g} = \frac{1}{f}$ macht neue Lampe

Convex Brennpunkt rechts
Von Prisma Convex hinter dem Prisma

Convex verwandelt Divergenz in
Convex Konvex



$\varphi_1 = f - F$

$\varphi_{11} = g - F$

$gF + fF - gf = 0$

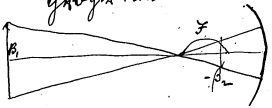
$\varphi_1 \varphi_{11} = fg - Ff - gF + F^2$

$\varphi_{11} = \frac{F^2}{\varphi_1}$

$\varphi_1 = \frac{\infty}{\infty}$ $\varphi_{11} = \frac{f^2}{\varphi_1}$ einfach

Optik a. d. Bildes seiner Punkte

Optik



$$\frac{\beta_1}{-\beta_2} = \frac{\varphi_1 - F}{F - \varphi_{11}} = \frac{\varphi_1(\varphi_1 - F)}{F\varphi_1 - \varphi_1\varphi_{11}} = \frac{\varphi_1(\varphi_1 - F)}{F(\varphi_1 - F)} = \frac{\varphi_1}{F} = \frac{F}{\varphi_1}$$

$$-\frac{\beta_1}{\beta_2} = \frac{F}{\varphi_{11}}$$

Optik

Linsen

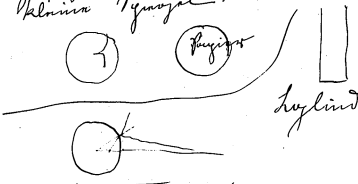
Bild Punkte der Ebene.

Brechpunkte $\varphi_1 \varphi_{11} = F_2$

$$-\frac{\beta_1}{\beta_{11}} = \frac{\varphi_1}{F_1} = \frac{F}{\varphi_{11}}$$

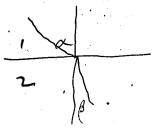
φ_{11} bezeichnet Entfernung Bild Punkt.

Optik so weit vereinfacht. Und für kleine Winkel.

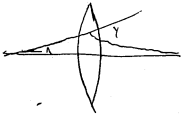


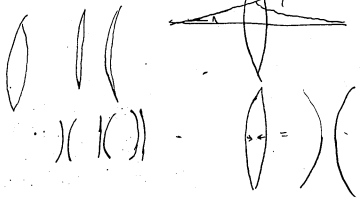
Brechung

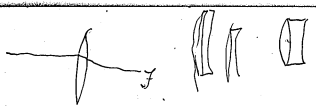
$\frac{\sin\alpha}{\sin\beta} = n_2$

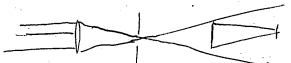


$n_1 \sin\alpha = n_2 \sin\beta$



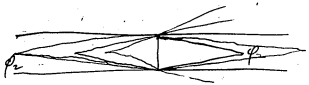






Could not understand what he said

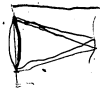
Kopiograph (Fern rohr)

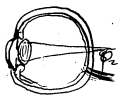


$\varphi_1 \varphi_2 = F^2$

$\frac{\beta}{\beta_2} = \frac{\varphi}{F} = \frac{F}{\varphi_2}$

Lösungsmittel — Lösung.



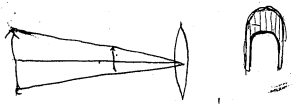


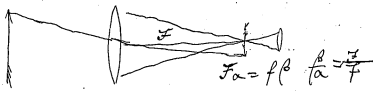
Man muß noch genügt zwei Strahlen
nämlich $\varphi_1 \varphi_2 = F_1 F_2$

Man kann
Strahlendurchgang
kurz sagen die Lösung mitfassen

Alle konstruktionen Strahlendurchgang.

Lösungen





Wenn müss Objekt von entfernten Object stellen

Objektiv muss verschoben mit

Wenn müss von kleine Linse zu Grösse

Immersions Objektiv

Bild gross klein

1 mm

3634

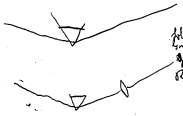
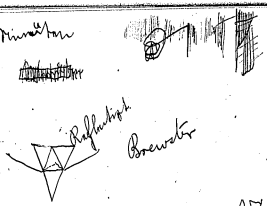


Bild des Objekts

5 Minuten



Chromasie

Rotf $\eta_r = \gamma(n_r - 1) - \gamma_1(n_{r_1} - 1)$

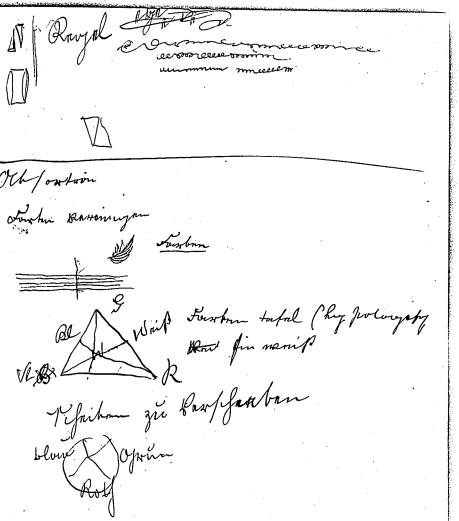
$\eta_g = \gamma(n - 1) - \gamma_1(n_1 - 1)$

$\eta_r - \eta_g = \gamma(n_r - n) - \gamma_1(n_{r_1} - n_1)$

$\min \beta = 0$ $\quad \frac{\gamma}{\gamma_1} = \frac{n_1 - \nu_1}{n - \nu}$

$\frac{n}{\nu} = \frac{n_1}{\nu_1}$

$\frac{n - r}{\nu} = \frac{n_1 - \nu_1}{\nu_1}$ $\quad \frac{\nu_1}{\nu} = \frac{\gamma}{\gamma_1}$



July 31 1878

Linsse

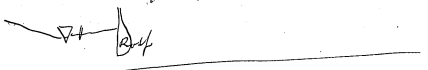
Photographie

Aug

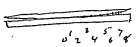
Flamsteed Nutzschnitt
flamsteed

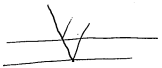
Wasser mehr zusammen Roth
Violet mehr gestreut
Lambert Roth

Linse ausgegossen über Eyeglass. J. Bizeau
Absolutes Brenze



Interference





$$\frac{\Delta}{2} + 2n\frac{\lambda}{4}$$

$$R(1-\cos\omega) = 2R\sin^2\frac{\omega}{2}$$

$$\frac{R\omega^2}{2} = \frac{1}{2}(1+n)$$

Na 5.2.00 Ringe